## Assignment 11

Coverage: 16.5 (part), $16.6,16.7$ (part) in Text. The topics on moments and center of mass for curve and surfaces, and implicit surfaces will not be included in the final examination.

Exercises: 16.5 no $17,19,42,46,48,16.6$ no $4,7,10,15,20,25,40.16 .7$ no $3,6.8,13$.
Hand in 16.5 no $42 ; 16.6$ no $25,16.7$ no 3,13 by November 30 .

## Supplementary Problems

1. (optional) An open region $G$ is called simply-connected if for every closed curve $C$ sitting inside $G$, there is a deformation to deform $C$ to a point where the whole process happens inside $G$. Specifically, there is a smooth map $\Phi(t, s)$ from $[a, b] \times[0,1]$ to $G$ such that $\Phi(t, 0), t \in[a, b]$, is a parametrization of $C$ and $\Phi(t, 1)$ maps to a single point. Show that whenever a vector field $\mathbf{F}$ fulfills the component test in $G$, it is conservative.
